## NUMBER SYSTEM



## INTRODUGTION

## NUMBER SYSTEM CHART

| System | Base | Symbols |
| :--- | :---: | :--- |
| Decimal | 10 | $0,1, \ldots 9$ |
| Binary | 2 | 0,1 |
| Octal | 8 | $0,1, \ldots 7$ |
| Hexa- <br> decimal | 16 | $0,1, \ldots 9$, <br> $\mathrm{A}, \mathrm{B}, \ldots \mathrm{F}$ |

## BASIC CONVERSION

## DECIMAL

BINARY

## BINARY TO DECIMAL

## Technique

Multiply each bit by $2^{n}$, where $n$ is the "weight" of the bit
The weight is the position of the bit, starting from 0 on the right
Add the results EX:-

| $1 O 1 O 11_{2}=>$ | $1 \times 2^{0}=$ | 1 |
| :--- | :--- | :--- |
| $1 \times 2^{1}=$ | 2 |  |
| $0 \times 2^{2}=$ | 0 |  |
| $1 \times 2^{3}=$ | 8 |  |
| $0 \times 2^{4}=$ | 0 |  |
| $1 \times 2^{5}=$ | 32 |  |
|  |  |  |

## DECIMAL TO BINARY

## Technique

- Divide by two, keep track of the remainder
- First remainder is bit 0 (LSB, least-significant bit)
- Second remainder is $b$

Example:-
$(1000001110111)_{2}$
$(4215)_{10}$


## OGTAL TO HEXADECIMAL

- When converting from octal to hexadecimal, it is often easier to first convert the octal number into binary and then from binary into hexadecimal.
Example:- convert 345 octal into hexadecimal

| Octal $=$ | 3 | 4 | 5 |  |
| :--- | :--- | :--- | :--- | :--- |
| Binary $=$ | 011 | 100 | 101 |  |
|  |  | Now from binary to Hexadecimal |  |  |
| Binary $=$ | 1110 | 5 | $=$ E5 hex |  |

## INTRODUCTION : ELECTRONICS

$>$ Device that performs a basic operation on electrical signals
$>$ Methods for describing the behavior of gates and circuits

- Boolean expressions
- logic diagrams
- truth tables



## BOOLEAN EXPRESSION

$>$ Demonstrates the activity of electrical circuits in terms of algebraic notation
$>$ Example is :

- Product Terms - Terms that are ANDed together and called MAX Terms
- XYZ
- $(\mathrm{A}+\mathrm{B})(\mathrm{C}+\mathrm{D})(\mathrm{A}+\mathrm{D})$
- Sum Terms - Terms that are ORed together and called MIN Terms
- $X+Y+Z$
- $X Y Z+V X$


## LOGIC DIAGRAM

> Defines the function of a gate by listing all possible input combinations and the corresponding output


## Truth Table

$>$ Defines the function of a gate by listing all possible input combinations and the corresponding output

| $\mathbf{A}$ | $\mathbf{B}$ | $\mathbf{S}$ | $\mathbf{C}$ |
| :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 |
| 0 | 1 | 1 | 0 |
| 1 | 0 | 1 | 0 |
| 1 | 1 | 0 | 1 |

## TYPES OF GATES

$>$ Can be classified as
-Basic gates

- (OR, AND, NOT)
-Universal gates
- (NAND, NOR)
-Exclusive gates
- (X-OR, X-NOR)


## LOGICAL GATES

## Basic Logic Gates

$$
\begin{array}{l|l}
\mathrm{A} & \mathrm{Y} \\
\hline 0 & 1 \\
1 & 0
\end{array}
$$



| A | B | Y |
| :--- | :--- | :--- |
| 0 | 0 | 0 |
| 0 | 1 | 1 |
| 1 | 0 | 1 |
| 1 | 1 | 0 |



| A | B | Y |
| :--- | :--- | :--- |
| 0 | 0 | 0 |
| 0 | 1 | 1 |
| 1 | 0 | 1 |
| 1 | 1 | 1 |



| A | B | Y |
| :--- | :--- | :--- |
| 0 | 0 | 1 |
| 0 | 1 | 1 |
| 1 | 0 | 1 |
| 1 | 1 | 0 |




